

High Refractive Index dielectric dimer as element unit for switching devices

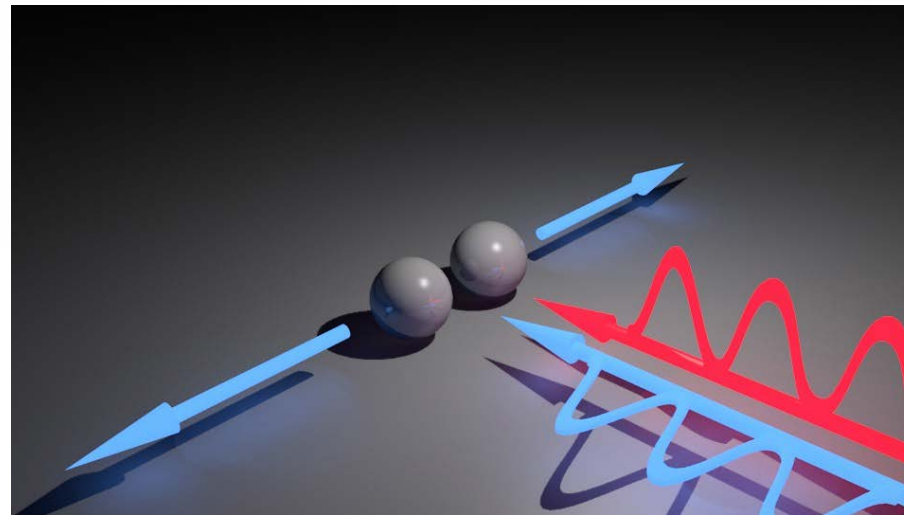
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Outline

- Introduction
- Objective
- Numerical methods & Experimental setup
- Results
- Conclusions

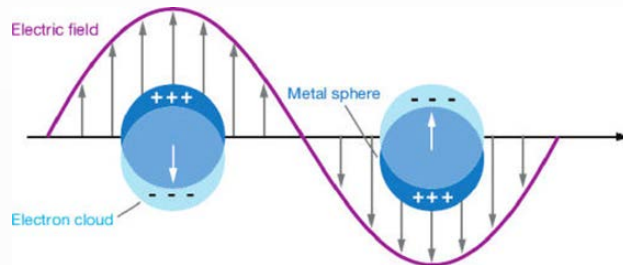
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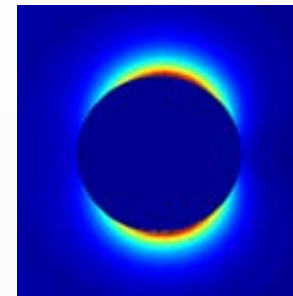


Nanophotonics

Metallic Nanoparticles → Localized Surface Plasmons

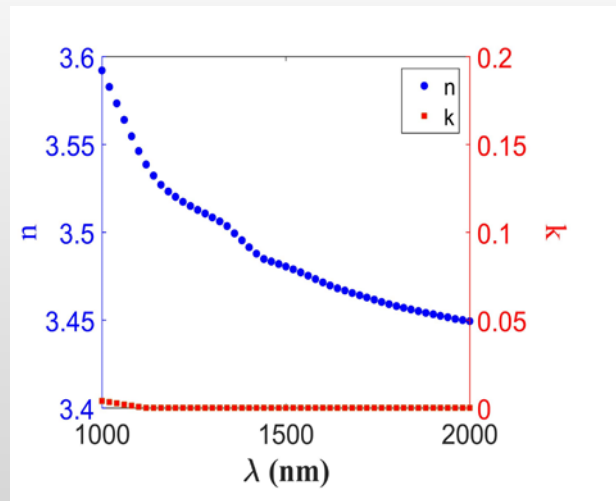


At
resonance



High Refractive Index dielectric Nanoparticles → Whispering gallery modes

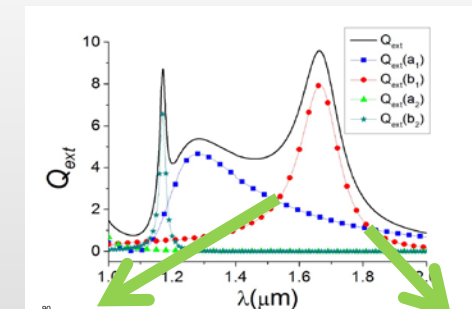
No Joule losses between 1 μm and 2 μm



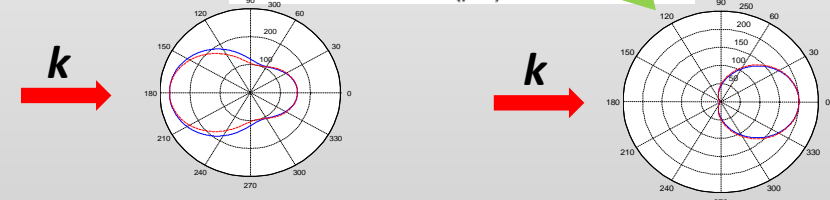
Si optical constant, E. D. Palik, Handbook of Optical Constants of Solids (Academic Press, 1998)

They present magneto-dielectric properties

Kerker's
conditions



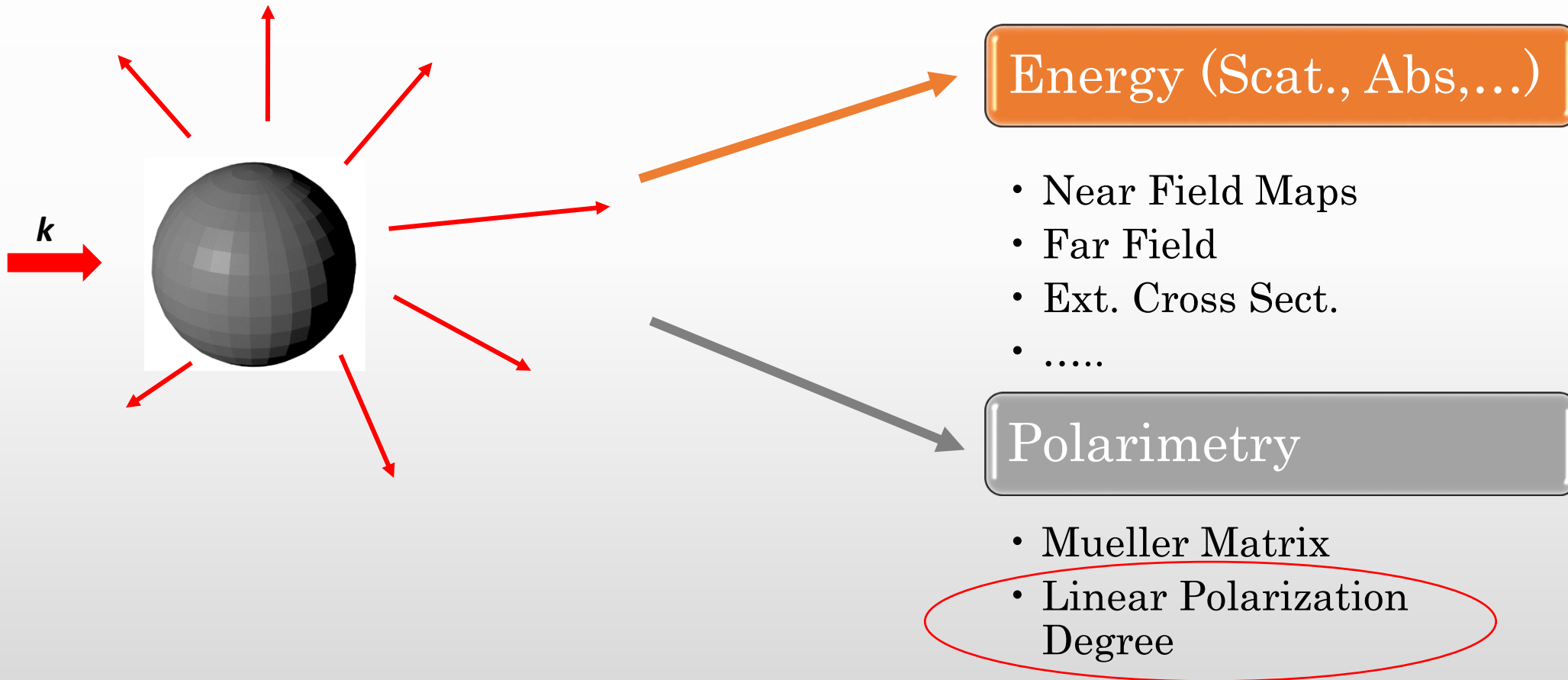
Si NP;
 $R = 230$ nm



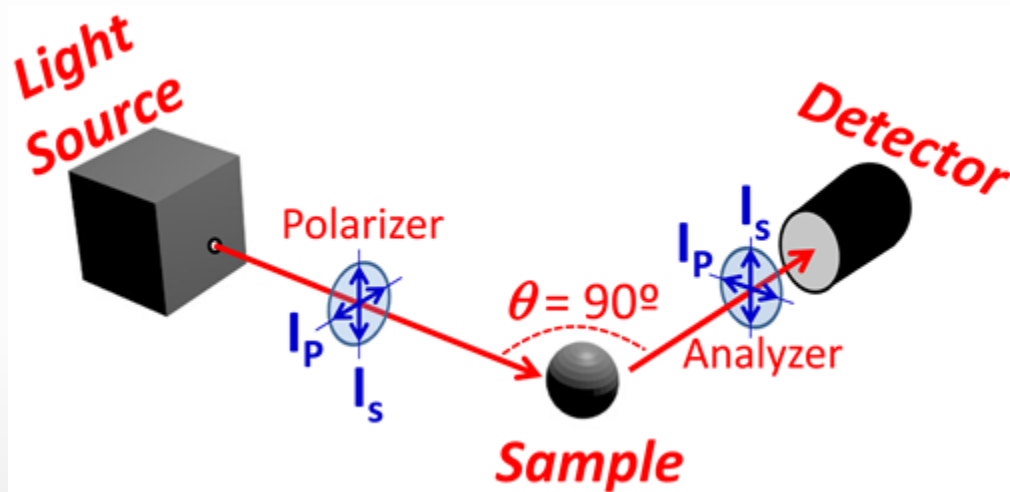
.García-Etxarri et al. Opt. Express 19, 4815-4826 (2011) → Si

-R. Gómez-Medina et al. J. Nanophot. 5, 053512 (2011) → Ge

$P_L(90^\circ)$ vs Energy measurements



Linear polarization degree, P_L



Linear Polarization Degree

$$P_L(\theta = 90^\circ) = \frac{I_S - I_P}{I_S + I_P}$$

Dipolar Electric

Dipolar Magnetic

$$P_L(\theta = 90^\circ) = \frac{|a_1|^2 - |b_1|^2}{|a_1|^2 + |b_1|^2}$$

$P_L(90^\circ)$ provides information about either the electric or magnetic nature of resonances

Measuring at 90° : avoid any parasitic effect due to the incident radiation

Outline

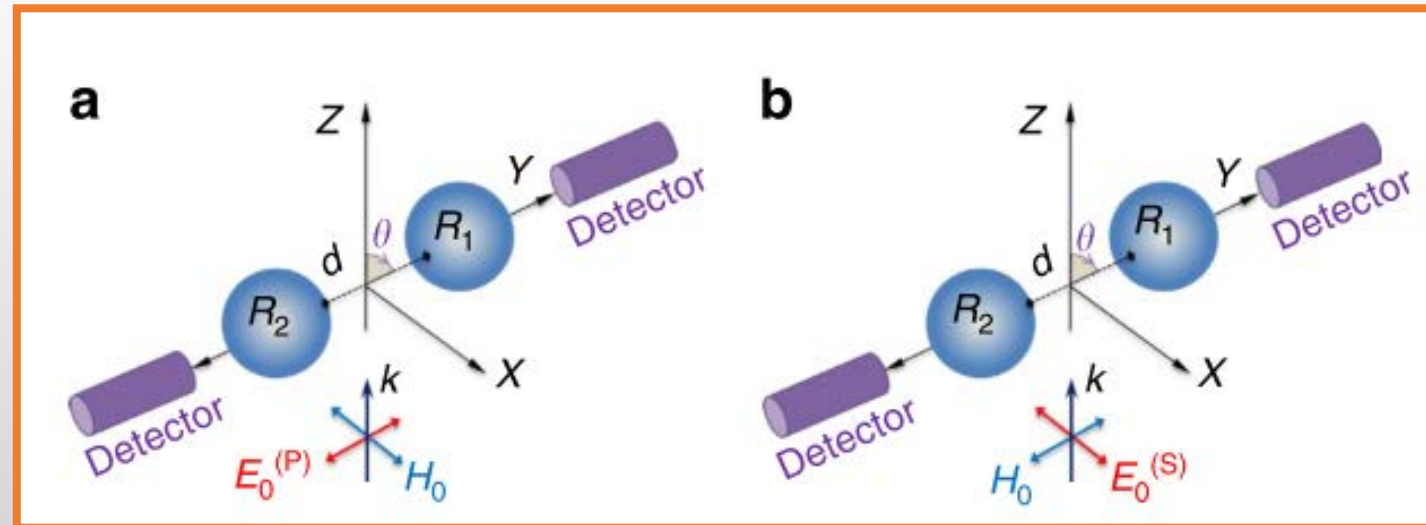
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Objective

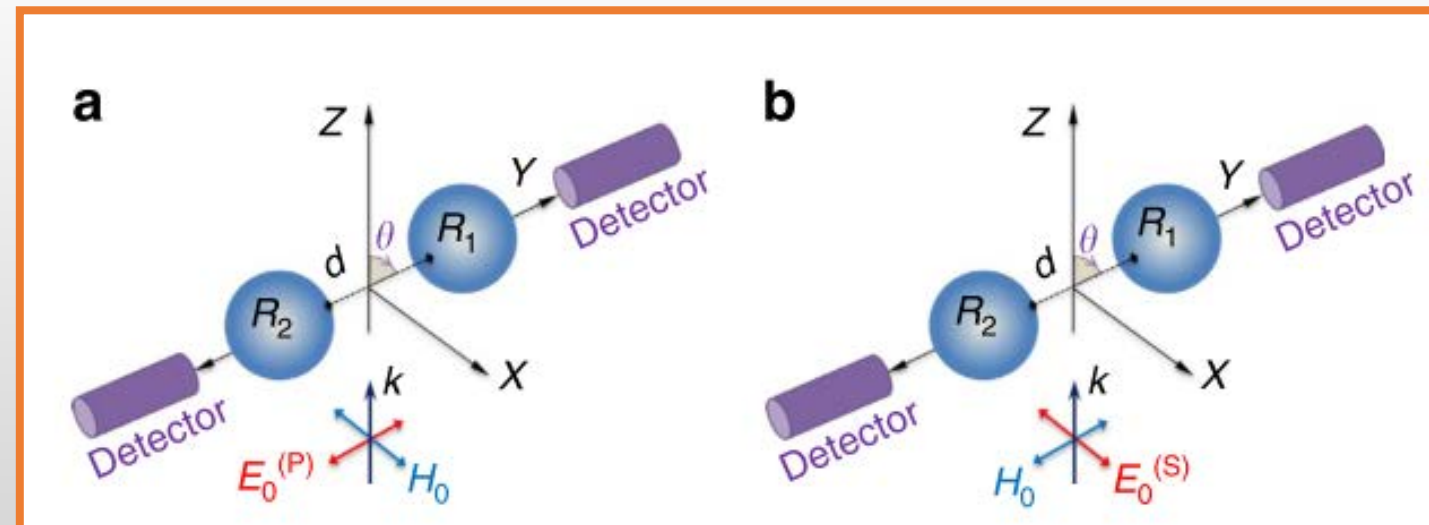
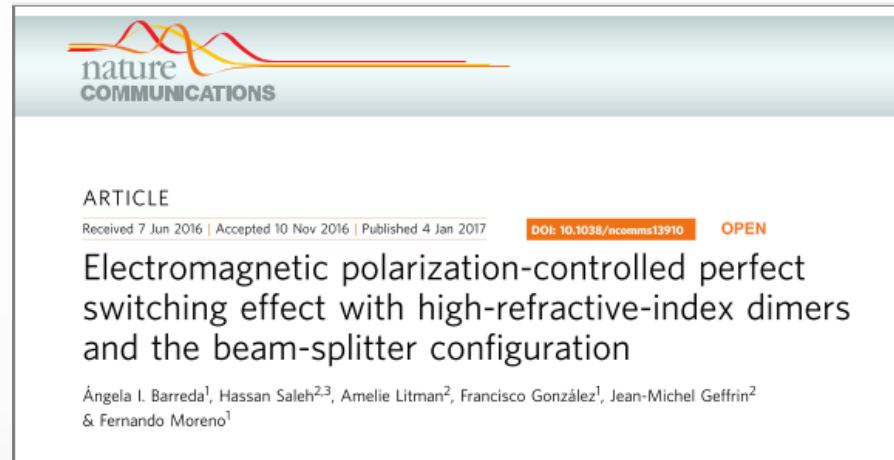
Use $P_L(90^\circ)$ to assess:

The possibility of using a dimer of spherical particles made of a HRI material, as elementary unit for building a binary switching device. The binary state depends on the excitation polarization.



$$\begin{aligned} R_1 &= R_2 = 9\text{mm} \\ d &= 18 / 3 \text{ mm} \\ \epsilon &= 15.7 + 0.3i \end{aligned}$$

Objective



$$R_1 = R_2 = 9\text{mm}$$

$$d = 18 / 3 \text{ mm}$$

$$\varepsilon = 15.7 + 0.3i$$

Objective

Maximum difference between the parallel and perpendicular to the scattering plane intensities for the **right-angle scattering configuration**

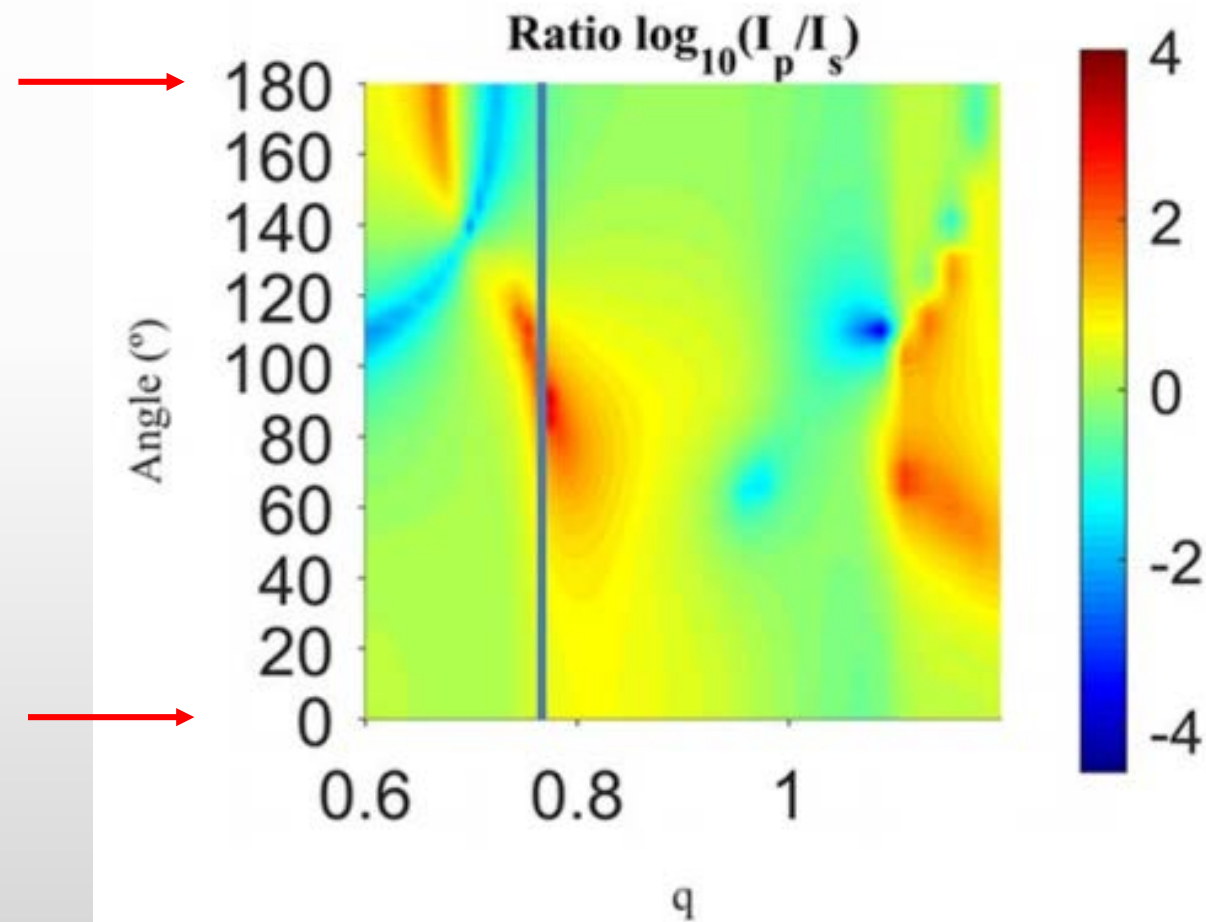
Forward measurements: the scattered (wanted) signal is mixed with the incident beam

Backward measurements: the scattered field is not easy to isolate without using some sort of beam-splitter

Two identical outputs can be handled at the same time with the same scattering unit and for one incidence

Backward direction

Forward direction



Outline

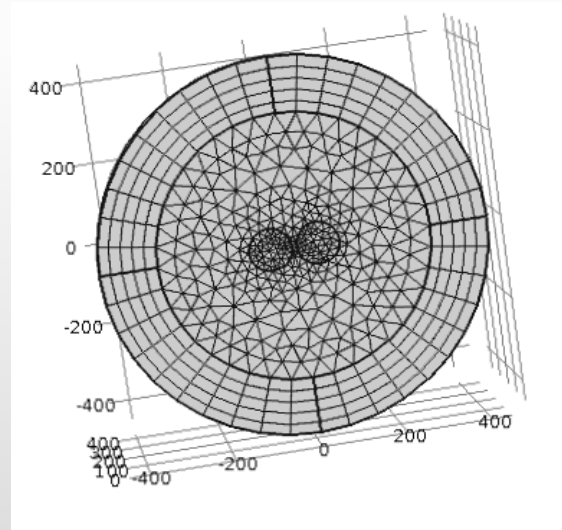
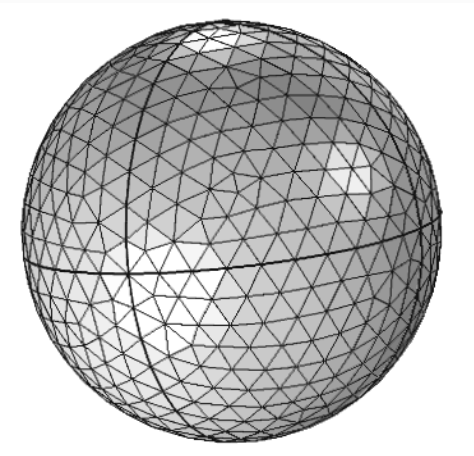
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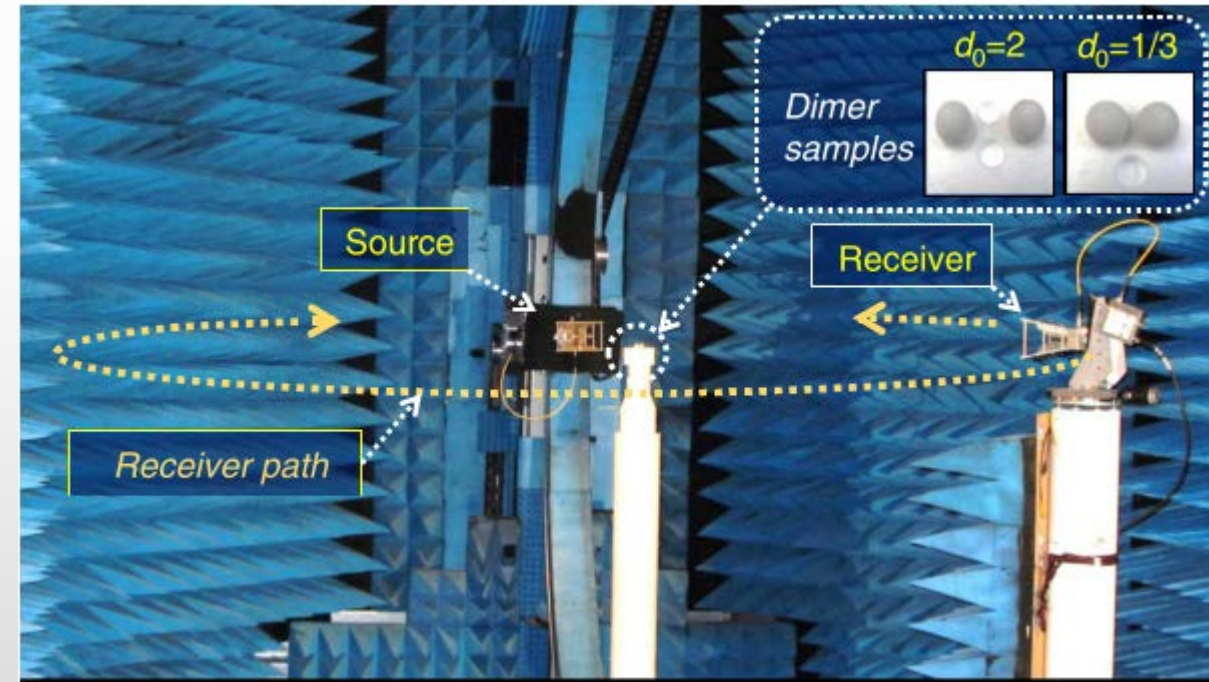
Numerical methods & Experimental setup

FEM: COMSOL

COMSOL: it is based on finite element method.
It is very efficient for solving partial differential equations



Anechoic Chamber



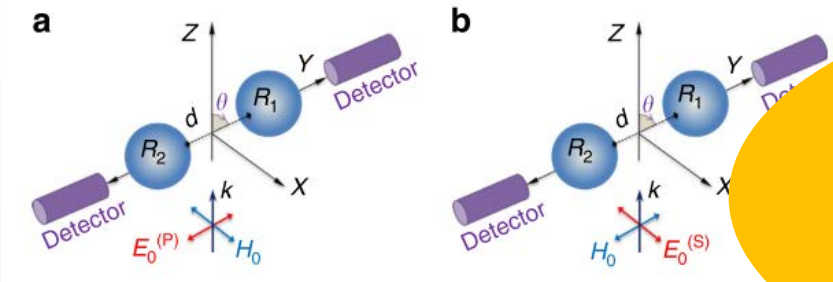
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$P_L(90^\circ)$ measurements

The analysis of the switching effect is performed through the determination of $P_L(90^\circ)$



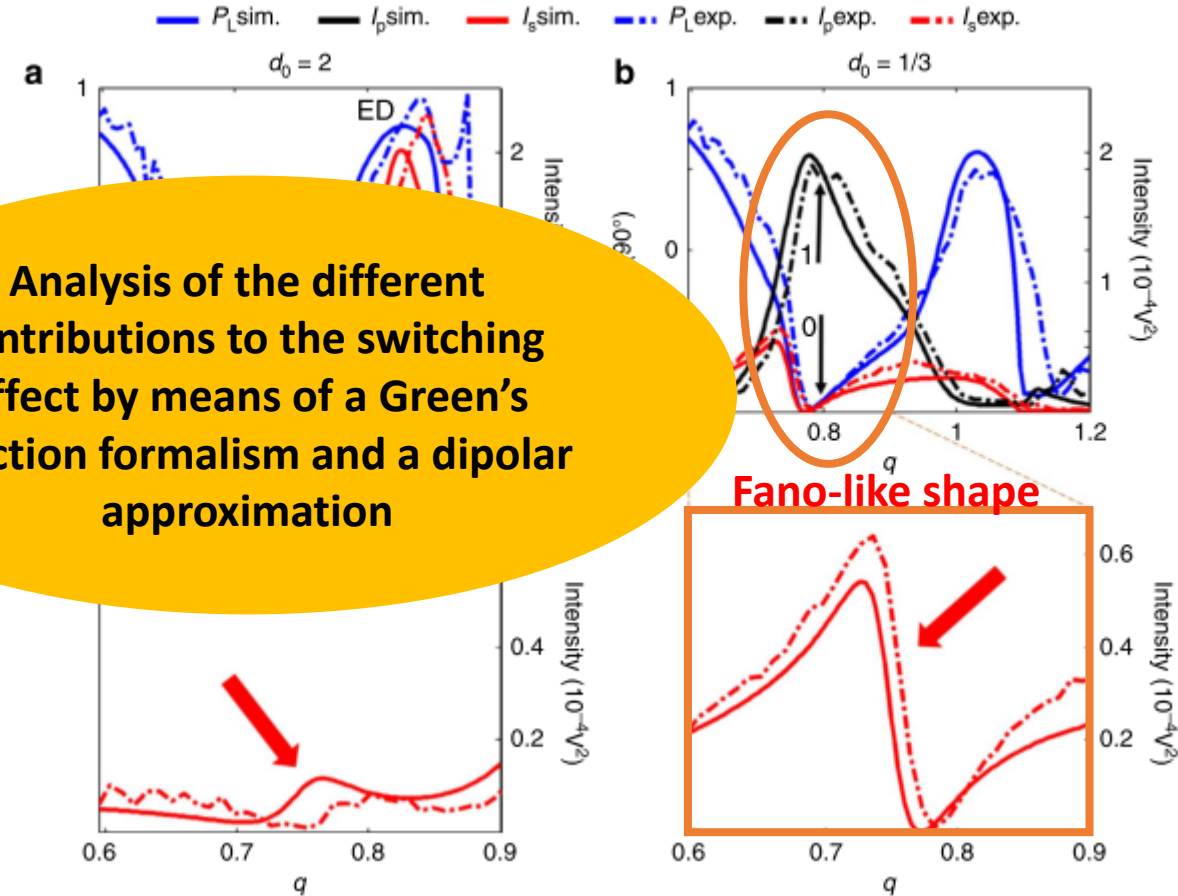
Switching effect

$$q = 0.773; d_0 = 1/3$$

$$q = 2\pi R/\lambda; d_0 = d/R; d = \text{gap}$$

The binary state depends on the excitation polarization

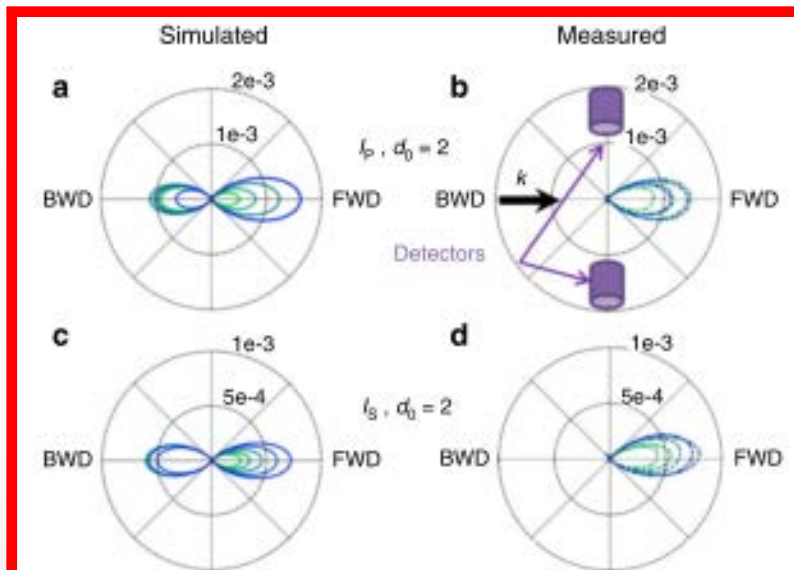
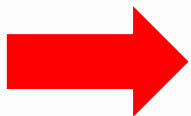
Analysis of the different contributions to the switching effect by means of a Green's function formalism and a dipolar approximation



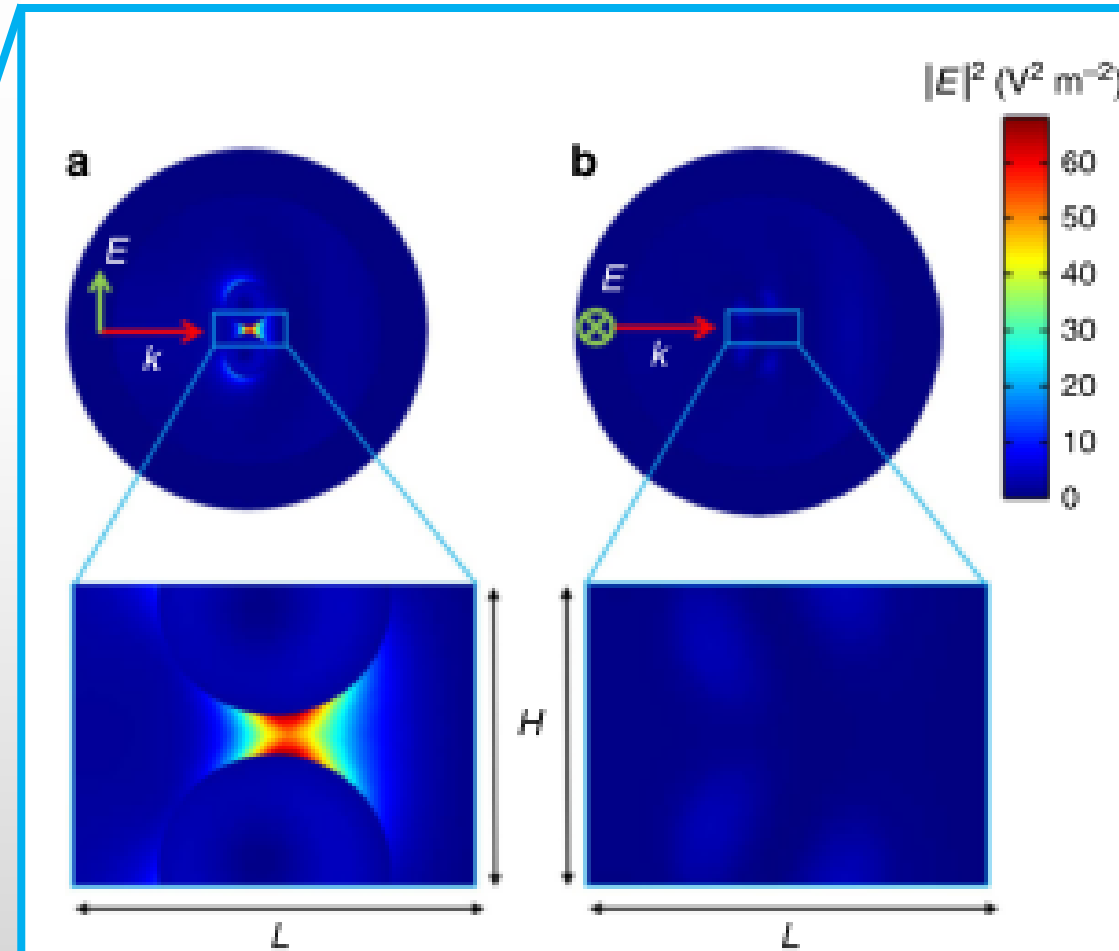
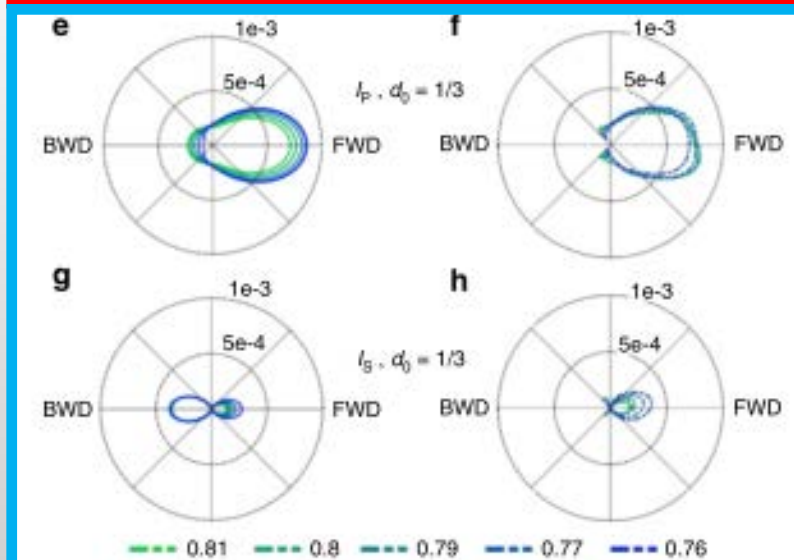
Scattering patterns & near field maps

Scattering plane (z-y)

Non-Interacting case



Interacting case

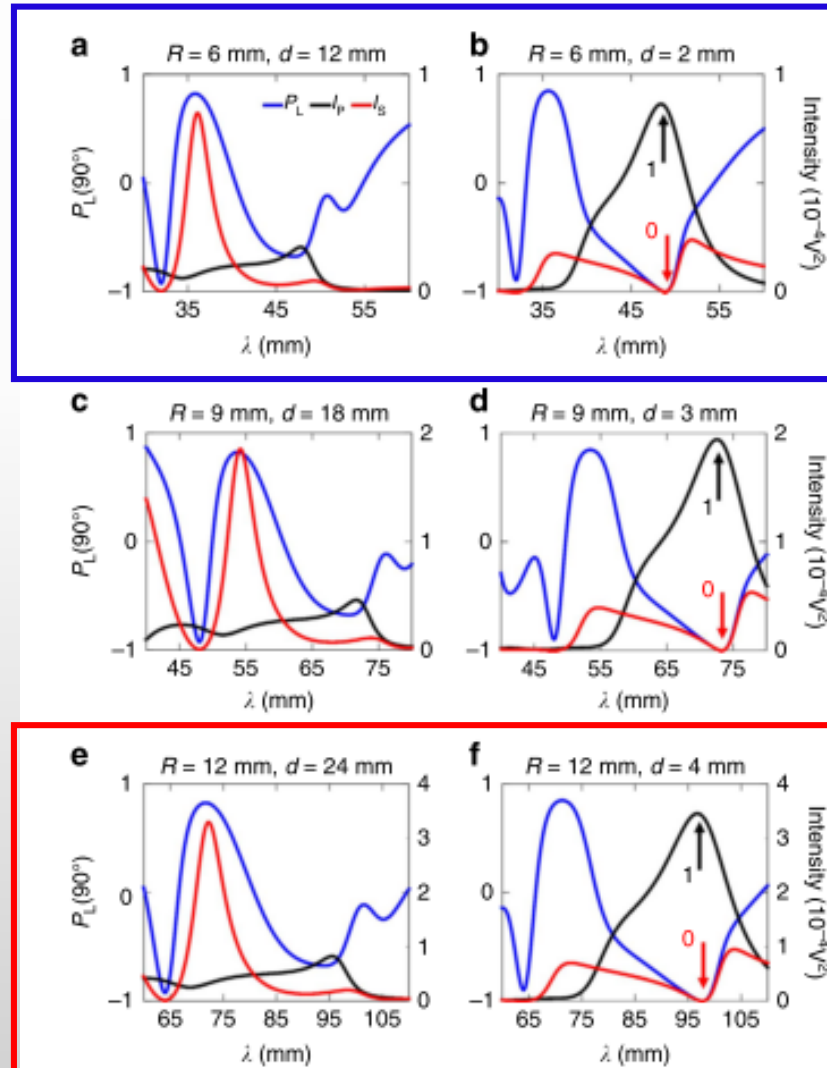


Tuning the switching frequency

Reproducibility of the switching effect in different spectral ranges

For our switching device, the switching frequency is perfectly tunable to different wavelengths by only changing the size of the particles

The gap-to-particle size ratios d_0 take the same values



As the particle size decreases, the resonances are blue shifted

Green's function

As the particle size increases, the resonances are red shifted

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Conclusions

- A homogeneous dimer of HRI dielectric spheres has been proposed as a perfect binary polarization controlled switching device
- The binary state (“on”-”off”) depends only on the polarization of the exciting radiation
- The analysis of the switching effect is performed through the determination of $P_L(90^\circ)$
- The switching effect is produced by the spectral evolution of one of the natural resonances (the dipolar magnetic) of the isolated particle to an asymmetric shape resonance (Fano-like)
- The switching effect can be tuned to different spectral regions by only changing the particle size of the dimer components

Acknowledgements

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**Thank you
for your attention!!**



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