Modelling emergent effects in low coordination geometries during metallic nanojunction formation

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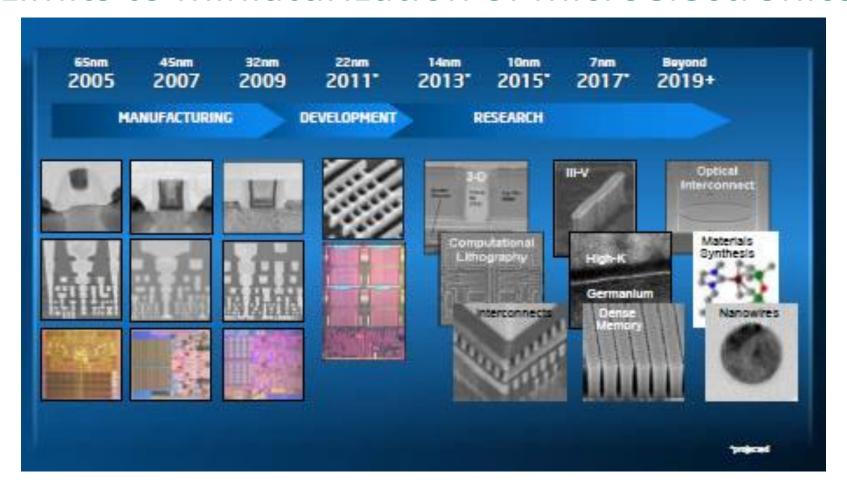




Outline

- Motivation
- Theoretical methods for modelling nanocontacts
- Jump to contact: Gold vs Copper
- More complex materials: BCC vs FCC and ferromagnetism
- Conclusion and outlook

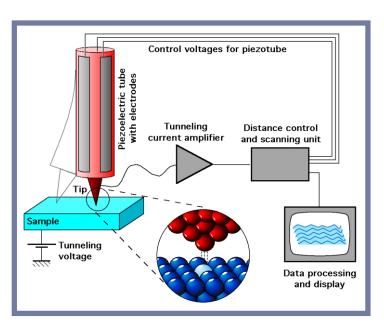
Limits to miniaturization of microelectronics

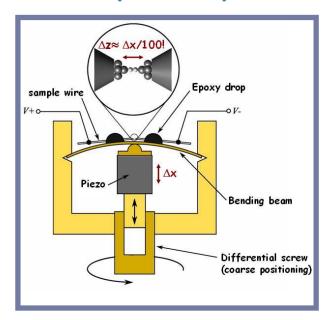


Source: www.cdrinfo.com/Sections/News/Details://.aspx?NewsId=30438

New approaches are needed at the nano-scale level

The nanoscale can be probed and manipulated by a scanning tunneling microscope (STM) or mechanically controllable break junction (MCBJ)





Schematic representation of an STM

Schematic representation of an MCBJ.

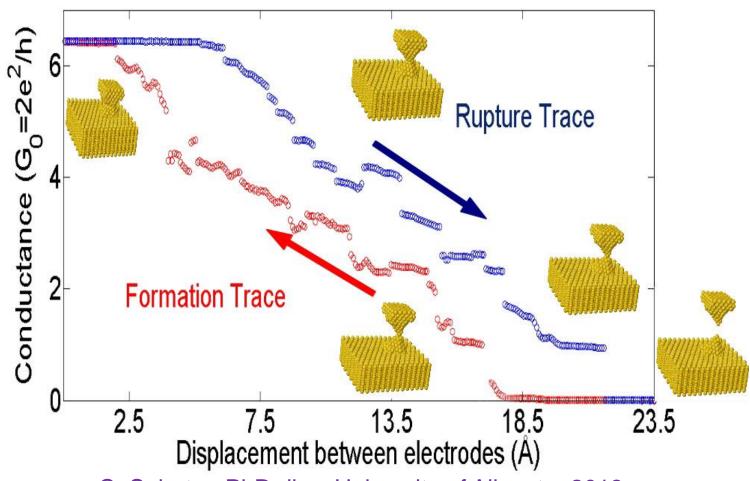
Source: Wikipedia

Source: CINaM - Centre Interdisciplinaire de Nanoscience de Marseille

URL http://en.wikipedia.org/wiki/Scanning_tunneling_microscope

Conductance and IV characteristics can be measured with an STM or MCBJ as nano-sized contacts are made or broken

STM traces of conductance vs displacement between gold contacts at 4.2K

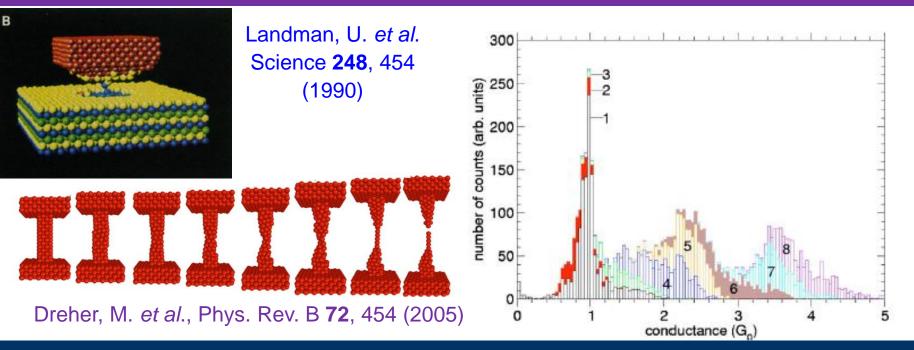


C. Sabater, PhD diss., University of Alicante, 2013

It is not simple to interpret this behavior at the atomic level, merely by looking at conductance traces or IV characteristics. BUT, ...

... atomistic simulations can model nanocontacts

- 1. Classical molecular dynamics (CMD) simulations give dynamical information at the atomic level: the motion of the atoms
 - 2. Quantum transport calculations on CMD structures yield charge transport across nanocontacts



E.g., the quantization of conductance in metal nanocontacts was first convincingly explained with the help of CMD

Olesen, L. et al., Phys. Rev. Lett. 72, 2251 (1994)

Theoretical tools to model nanocontacts

LAMMPS (Large-scale atomic/molecular massively parallel simulator)

http://lammps.sandia.gov/

 Embedded Atom Method (EAM) potential:

Daw, M. and Baskes, M., Phys. Rev. Lett. **50**, 1285 (1983)

$$U = \sum_{i} F(\rho_i) + \frac{1}{2} \sum_{\substack{i,j \ (i \neq j)}} \phi(r_{ij})$$

• Forms of ρ_i , $F(\rho_i)$ and $\phi(r_{ij})$ from: Wadley, H. N. G., Prog. Mater. Sci., 46, 329 (2001)

Besides bulk properties, also fitted to a surface property (heat of sublimation), for 18 metals

Theoretical tools to model nanocontacts

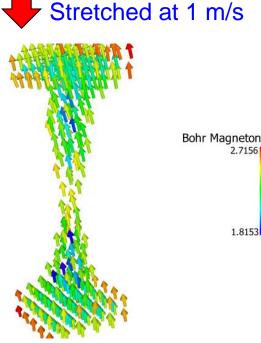
 Full spin-lattice dynamics (SLD) in SPILADY to model interactions between ferromagnetic atoms more realistically:

http://www.ccfe.ac.uk/spilady_code.aspx

$$H = \sum_{i} \frac{\mathbf{p}_{i}^{2}}{2m_{i}} + U - \frac{1}{2} \sum_{i,j} J_{ij} \mathbf{e}_{i} \cdot \mathbf{e}_{j}$$

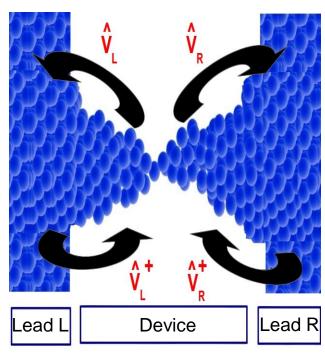
P.-W. Ma *et al.*, Comput. Phys. Commun. **207** 350–361 (2016)

Scalar-magnetic part of (EAM) potential, *U*, from:



Dudarev S. L. And Derlet P. M., J. Phys.: Condens. Matter 17, 7097 (2005)

Landauer theory of Quantum Transport



C. Sabater, PhD diss., University of Alicante, 2013

R. Landauer, J. Res. Dev. 1, 223 (1957)

$$G(E_F) = \frac{2e^2}{h}T(E_F) = G_0T(E_F)$$

$$Green Functions$$

$$Partitioning Method$$

$$T(E_F) = Tr\left[\widehat{G_D}(E)\widehat{\Gamma_R}(E)\widehat{G_D}^d(E)\widehat{\Gamma_L}(E)\right]$$

S. Datta, Superlattices and Microstructures, **28**, 253 (2000)



ANT.Gaussian (Alicante atomistic computation applied to NanoTransport)

J. J. Palacios *et al.*, Phys. Rev. B **64**, 115411 (2001)

Establishes a direct connection between calculated conductance (TB – tight-binding/DFT – density functional theory) and STM/MCBJ

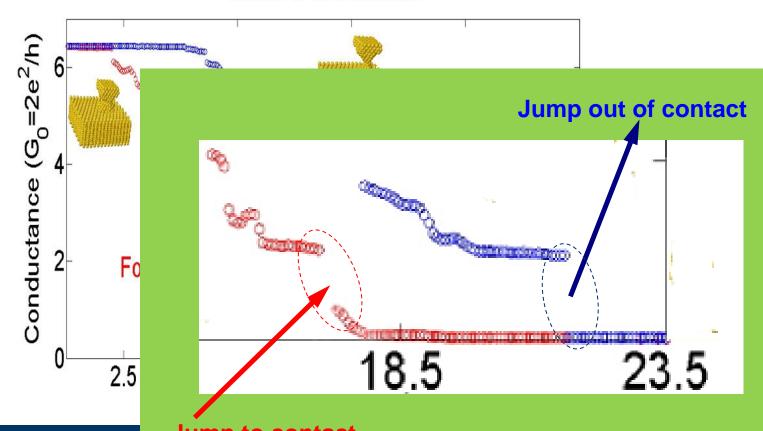
Examples of emergent properties that atomistic simulations can explain?

- The conductance jump at first contact between two gold nanoprobes, sometimes not exhibited by gold's isoelectronic analogues, copper (and silver).
- The discrepancy between experimental and theoretical peaks in conductance histograms of BCC ferromagnetic iron nanocontacts. (FCC ferromagnetic Nickel does not follow this trend).

Jump to or out of contact

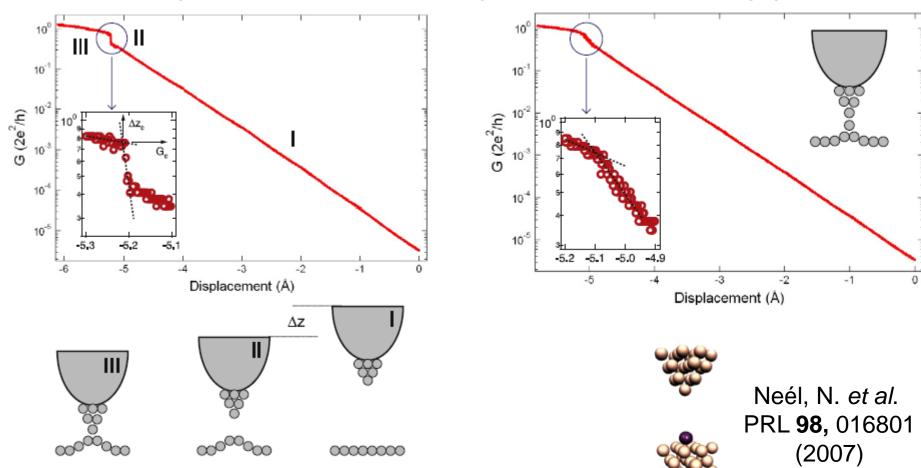
Traces from an STM measurement of conductance between gold contacts

Traces of conductance



It is not simple to interpret behavior at the atomic level merely by looking at conductance traces

Jump to contact (experiment): Copper

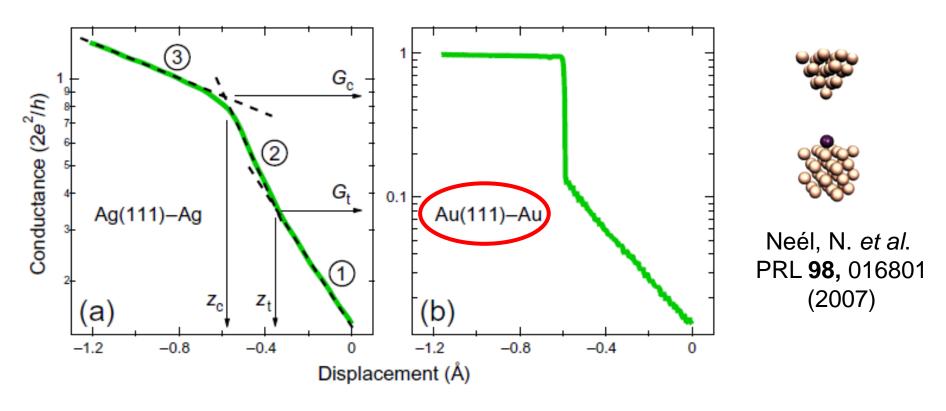


Kröger J., Néel, N. and Limot, L.

J. Phys.: Condens. Matter **20** (2008) 2230010



Jump to contact (experiment): Gold



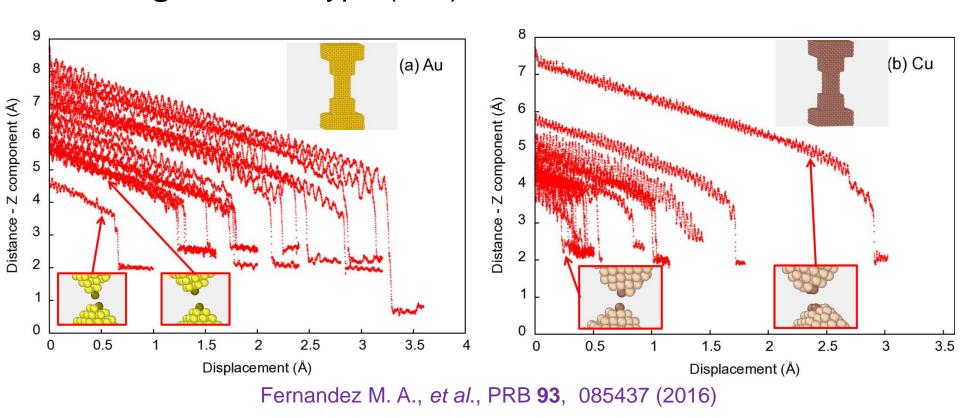
Kröger J. et al. New J. Phys. 11, 125006 (2009)

Gold, unlike Copper and Silver, ALWAYS exhibits jump to contact!

Untiedt C. et al., PRL 98, 206801 (2007)

Jump to contact (theory): Gold vs Copper

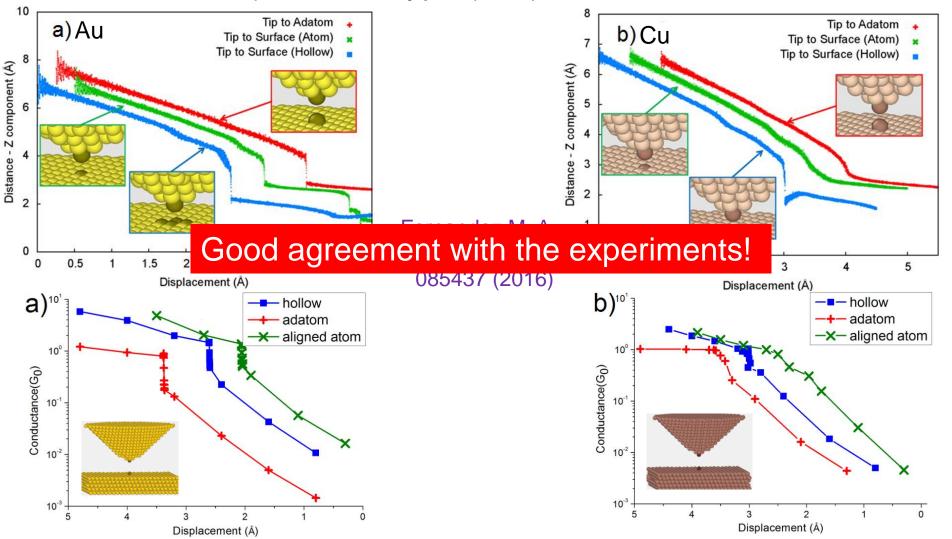
 Classical molecular dynamics (CMD) results from Cyclic Loading of MCBJ-type (001) Au and Cu nanocontacts at 4.2K:



ACTUAL jumps in CMD simulations resemble conductance jumps in experiments. How about the SPECIAL GEOMETRIES in the previous slides?

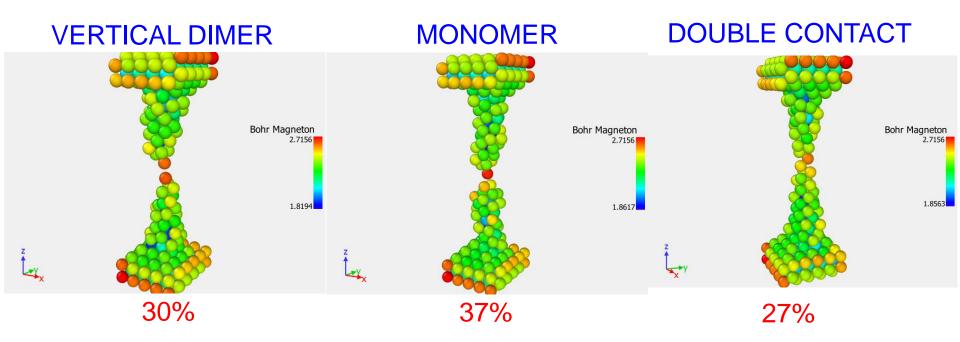
Jump to contact (theory): Gold vs Copper

 CMD and REFINED DFT/TB transport results (from ANT.Gaussian) for STM-type (001) Au/Cu contacts at 4.2K:

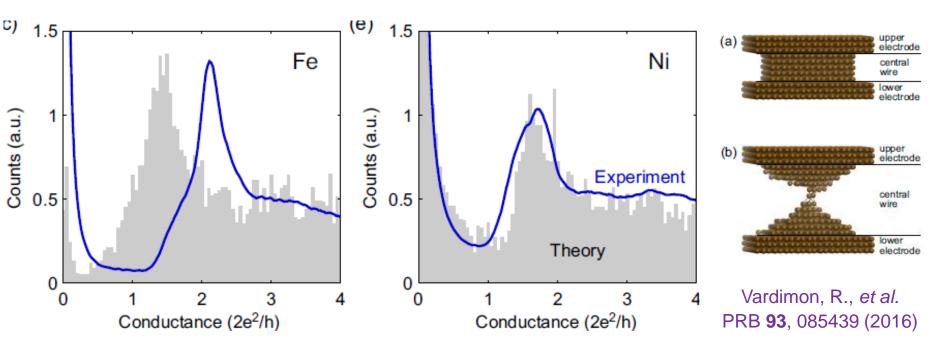


More complex materials: BCC vs FCC and magnetism

- What about more realistic (SLD) simulations on ferromagnetic BCC Fe(001) nanocontacts?
- The most common last-contact structures in 30 SPILADY rupture simulations:



More complex materials: BCC vs FCC and magnetism



Could **more realistic** SLD simulations narrow the gap between theory and experiment for ferromagnetic **BCC** iron?

Notice that **FCC** Ni (ferromagnetic) does not exhibit such a discrepancy. What is the role of the parent crystal structure (**BCC** vs **FCC**)?

Conclusion and outlook

 Combining CMD and fine-tuned DFT/TB transport simulations can reproduce the emergent and geometry-dependent adhesive properties of fewatom Au and Cu nanocontacts.

 Work-in-progress: unravelling the influence of parent crystal structure (BCC vs FCC) and ferromagnetism in SLD simulations of Fe nanocontact rupture.

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THANK YOU!